• Supplementary File •

# Intrinsic variations of ultrathin HfO<sub>2</sub>-based ferroelectric tunnel junctions induced by ferroelectric-dielectric phase fluctuations

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# Appendix A Importance

Hafnium oxide  $(HfO_2)$  based ferroelectrics (FE) are promising for low power applications such as Internet of things and artificial neural network, owing to their fully CMOS-compatibility and advanced thickness scalability [1–4]. The nanoscale ferroelectric tunnel junction (FTJ) by integration of FE HfO<sub>2</sub> on Si/SiO<sub>2</sub> provides a feasible route towards realizing high-density and energy-efficient nonvolatile memory [5]. Such metal-ferroelectric-insulator-semiconductor (MFIS) FTJ with FE HfO<sub>2</sub> thickness around 1 to 4 nm and SiO<sub>2</sub> thickness below 1 nm have been demonstrated [6,7]. Compared with FeRAM [8,9] and FeFET [10,11], the advantages of non-destructive read-out and reduced FE thickness in FTJ enable further voltage scaling and lower energy consumption.

For future scaling of lateral dimension of the FTJ device, it is essential to provide sufficient read current while maintaining sufficiently large ON/OFF tunneling electroresistance (TER) ratio [12]. The ferroelectric film in an FTJ is required to be as thin as possible to allow readability, but a simultaneous reduction of TER ratio is induced. To overcome the tradeoff between read current and TER ratio, selection of ferroelectric film with large remnant polarization  $P_r$  is very favorable. However,  $P_r$  of FE HfO<sub>2</sub> decreases with reducing film thickness [13], and thereby limiting the read current and TER ratio of HfO<sub>2</sub> based FTJ. It is reported that the ferroelectric properties in terms of  $P_r$ , coercive field  $E_c$ , relative permittivity  $\epsilon_r$ , and grain size are strongly thickness dependent [14, 15], which can be attributed to the change in the crystalline phase [16]. For example, as FE HfO<sub>2</sub> film thickness decreases below 10 nm, a decline of ferroelectric phase results in the reduced  $P_r$ . In fact, the ferroelectricity in HfO<sub>2</sub> based thin film is reported to originate from the orthorhombic phase (o-phase) [1]. This polar phase is a metastable phase formed during the transformation between the tetragonal phase (t-phase) and monoclinic phase (m-phase) [17]. Therefore, a mixture of multiple phases (m-, o- and t-phases) possibly exists in the films, depending on various external conditions such as stress, doping, thermal treatment, and film thickness [16].

Therefore, some variability issues in ultra-scaled HfO<sub>2</sub>-based FTJ need to be considered: (1) Co-existence of multiple phases in the FE HfO<sub>2</sub> film will cause random FE phase and non-FE phase fluctuation [18,19]. Here m- and t-phases are classified as non-FE or nonpolar dielectric (DE) phase; (2) Distribution of spatial orientations of HfO<sub>2</sub> polycrystallines as well as various grain sizes and local doping variations will introduce  $P_r$  variation among FE grains [15,20–22]; (3) There is a notable increase in the  $\epsilon_r$  value for m-, o- and t-phase HfO<sub>2</sub> [14,23–26], and hence  $\epsilon_r$  variation exists in real FTJ devices accompanied with phase variations. These intrinsic variability sources will cause device-to-device variations in FE HfO<sub>2</sub> based devices. Though some works have studied the phase variations in the FeFET [18,19], little is known about the variation characteristics of nanoscale FTJ devices in terms of read current and TER effect. This work aims to fully judge the FTJ variations stemming from the random phase fluctuation,  $P_r$  variation and  $\epsilon_r$  variation with aggressively scaled dimensions and to guide device optimization based on fundamental understanding of the electrical behaviors.

## Appendix B Simulation methodology

The Figure 1(a) and (b) of our letter show the cross-section view and 3D view of the MFIS-based FTJ structure using metal/FE HfO<sub>2</sub>/SiO<sub>2</sub>/Si stack. Based on the NLS model, ferroelectric can be regarded as an ensemble of elementary regions characterized by independent switching kinetics [27]. The FE layer is discretized into many grains, where the uniform grain size is assumed in the simulation as done in [18, 19]. Figure B1 shows the flowchart to implement FE phase and DE phase fluctuation into FTJ based on 3D simulation. The grain number  $N_G$  within the FE film is obtained to be  $N_G = (W/W_G) \times (L/L_G)$ , where W and L are the device width and length,  $W_G$  and  $L_G$  are the grain width and length, respectively. Each grain is randomly assigned as DE grain based on a certain probability defined as DE phase percentage. Using this approach, the impacts of FE-DE number fluctuation and spatial fluctuation as well as grain boundary are naturally included, as shown in Figure 1(d). To further introduce the  $P_r$  variation, the remaining FE grains are assigned with different  $P_r$  values following an experimentally extracted distribution, as shown in Figure 1(e). In addition, the discrepancy of  $\epsilon_r$  value for m-, o- and t-phase HfO<sub>2</sub> are accounted by assigning FE grains with o-phase  $\epsilon_r$  value, and then  $\epsilon_r$  variation of each phase is introduced similarly to  $P_r$  variation, as shown in Figure 1(f).

The 3D electrostatics of FTJ devices are obtained by performing the COMSOL simulator with drift-diffusion model. Polarization charge is treated as the surface charge density at the FE  $HfO_2/SiO_2$  interface since the charge at the FE-metal interface is assumed to be fully screened. Note that the interface quality of  $HfO_2/SiO_2$  and  $SiO_2/Si$  interfaces is assumed to be perfect, and thus charge trapping effect [28] is not considered here. Once obtained the band profile, the transmission probability is calculated based on

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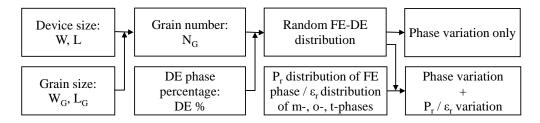


Figure B1 Simulation flowchart to implement FE and DE phase related fluctuations in FTJ based on 3D simulation.

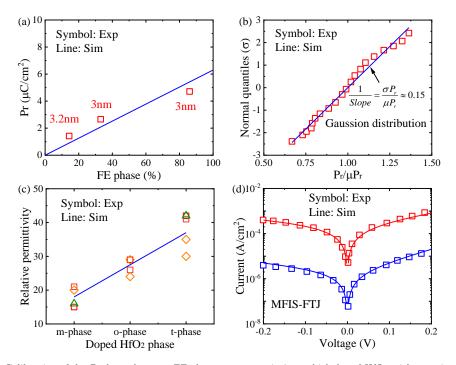


Figure B2 (a) Calibration of the  $P_r$  dependence on FE phase percentage in 3 nm thick doped HfO<sub>2</sub> with experimental results [16]. (b)  $P_r$  distribution of FE grains in HfO<sub>2</sub>-based FE are assumed following Gaussian distribution based on experimental results [30]. (c) Variations of the  $\epsilon_r$  of m-, o-, and t-phase doped HfO<sub>2</sub> are taken from [23–25]. (d) Calibration of the measured [6] and simulated I-V curves of ultrathin HfO<sub>2</sub>-based MFIS-FTJ.

the Wentzel-Framers-Brillouin (WKB) approximation, and then the tunneling current in each grain is calculated using the Tsu-Esaki model [29, 30]. Tunneling processes including direct tunneling, FN tunneling, and thermal emission are considered, whereas the trap-assisted tunneling is ignored as the perfect dielectric quality is assumed. Due to the energy bandgap of semiconductor, tunneling current through the MFIS stack is consisted of three components: electron tunneling from the conduction band (CBE) and valence band (VBE), and hole tunneling from the valence band (VBH), and their tunneling barrier heights  $\phi_{CBE}$ ,  $\phi_{VBE}$  and  $\phi_{VBH}$  are related to conduction and valence band offsets respectively [29–32], as shown in Figure 1(c) of our letter. The metal electrode is assumed to be perfectly screened, while the semiconductor electrode is treated as follows. When the semiconductor surface is driven into accumulation, it can be regarded as like a metal. When the semiconductor surface is depleted of carriers by polarization reversal, tunneling through the space charge region is considered besides through HfO<sub>2</sub> and SiO<sub>2</sub> [27, 28]. The effect of FE-DE variation and resultant uniform potential on carrier transport are considered by discretizing each grain into many small regions, and then the current in this grain is obtained by taking the average value of all these regions. Then, the total current of the entire FTJ is estimated as the sum of current in each region.

To mimic the ultrathin FTJ device as realistic as possible, ferroelectric properties and physical models are calibrated with reported experimental results. Figure B2(a) shows the calibration of the  $P_r$  dependence on FE phase percentage in 3 nm thick doped HfO<sub>2</sub> with experimental results [16]. The  $P_r$  of mixed phase FE film linearly decreases with increasing DE phase percentage, which can be approximately expressed as  $(1-\text{DE}^n) \times 6\mu C/cm^2$ . Due to their limited  $P_r$  and resultantly small TER ratio, impacts of FE-DE variations in such ultrathin FTJs will be more serious than thick devices, and hence this work focuses on the 3 nm HfO<sub>2</sub> based FTJs. Figure B2(b) shows the  $P_r$  distribution of FE HfO<sub>2</sub> film following Gaussian distribution based on experimental results [33]. Its normalized variation defined as the ratio of standard deviation  $\sigma P_r$  to mean value  $\mu P_r$  is obtained from the slope of the normal quantile plot. Figure B2(c) shows the reported  $\epsilon_r$  of HfO<sub>2</sub>-based film [23–25], and values of 18, 25, and 35 are adopted for m-, o-, t-phase respectively. Figure B2(d) shows the I-V curves under read operation of MFIS(n+)-FTJ, indicating an excellent agreement between the measured [6] and simulated results. Here the  $T_{FE}$  and  $T_{IL}$  are 4 and 0.4 nm respectively, which are consistent with [6]. Note that variations are excluded in Figure B2(d), mainly focusing on the parameter calibrations for tunneling current calculation. The tunneling effective mass of Si is taken as 0.19  $m_0$ , where  $m_0$  is the vacuum electron mass, while a single 0.24  $m_0$ , and more details are present in [29,30]. For lateral dimension of FTJ, area scaling below 20 × 20 nm become possible [34],

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Symbol	Quantity	Value
$T_{FE}$	Thickness of HfO <sub>2</sub> -based ferroelectric	3 nm
$T_{IL}$	Thickness of $SiO_2$ interfacial layer	$4 \mathrm{nm}$
$\epsilon_r$	Relative permittivity of FE $HfO_2$	8 (m), 25 (o), 35 (t)
$\epsilon_{rIL}$	Relative permittivity of $SiO_2$	3.9
$\epsilon_{rS}$	Relative permittivity of Si	11.9
$N_D$	Donor doping concentration of Si	$5 \times 10^{19} cm^{-3}$
$\phi_M$	Work function of metal electrode	4.3  eV
DE%	DE phase percentage	0%,  10%,  50%
$P_r$	Remnant polarization of ferroelectric	(1-DE%) × 6 $\mu C/cm^2$
W	Device width = device length $(L)$	50, 100, 200 nm
$W_G$	Grain width = grain length $(L_G)$	5, 10, 20 nm
$V_{read}$	Applied voltage for read operation	$0.2 \ \mathrm{V}$

while reported grain size of FE HfO<sub>2</sub> has a broad radius range (3-30 nm) [15,35]. Read voltage  $V_{read}$  of 0.2 V is low enough that polarization direction will not be switched during read operation. Simulation parameters for metal/FE-HfO<sub>2</sub>/SiO<sub>2</sub>/Si(n+) FTJ devices including device structure parameters are summarized in Table B1, where  $T_{FE}$  and  $T_{IL}$  are 3 and 0.4 nm, donor doping concentration of Si is  $5 \times 10^{19} cm^{-3}$ , and metal work function  $\phi_M$  is 4.3 eV, respectively. Statistical samples of 100 FTJs are simulated.

#### Appendix C Impact of sole FE-DE phase fluctuation

For Figure 1(h) in our letter, as the DE phase percentage increases from 0%, 10% to 50%, the effective sensing margin reduces with TER ratio (taken as the ratio of  $J_{ON}$  to  $J_{OFF}$ ) degrading from 14, 19, to 10, due to the  $P_r$  decrease of the entire FE film. It is noteworthy that DE phase of only 10% has generated significant variations of read current in FTJ devices. However, DE phase even above 75% has very limited effect on the memory window (MW) and current variation for the FeFET [18]. This can be explained that MW of FeFET is theoretically approximated as  $2T_{FE} \times E_c$ , which is irrelevant to the  $P_r$  unless it is below a very small value [36]. In contrast, the tunneling currents and TER ratio are directly determined by the  $P_r$ , and consequently FTJ device seems to be more vulnerable to mixed phase fluctuation than FeFET.

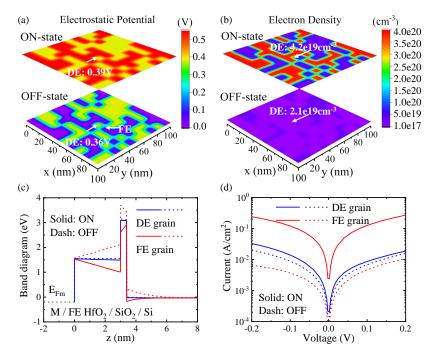


Figure C1 Profiles of (a) electrostatic potential and (b) electron density at the semiconductor surface of a certain FTJ with 50% DE phase at 0.2 V. (c) Band diagrams and (d) I-V curves of the adjacent DE and FE grain as labeled in (a). Note that the potential in (a) is shifted to 0 V.

Figure C1(a) and (b) shows the profiles of the electrostatic potential and electron density at the semiconductor surface of a certain FTJ with 50% DE phase at applied voltage of 0.2 V, solely considering FE-DE phase fluctuation. From Figure C1(a), when polarization direction is reversed, change of potential for FE grains is very large as expected, which can reach up to 0.5 V between ON- and OFF state. Moreover, the DE grains can be influenced by adjacent FE grains, as indicated by the change of potential about 0.03 V. This slight potential change gives rise to a marked change of electron density from  $2.1 \times 10^{19} cm^{-3}$  to

 $4.2 \times 10^{19} cm^{-3}$  at the position of DE grains, as seen in Figure C1(b). Therefore, polarization reversal of FE grains introduces a very tiny TER ratio of DE grains. It is clear that the impacts of number fluctuation and spatial fluctuation of the mixed crystalline phases are accurately captured by 3D simulation. Figure C1(c) shows the band diagrams of adjacent FE and DE grains under reversed polarizations. From Figure C1(d) (i.e., Figure 1(g)), tunneling currents through DE grains always lie between those of  $J_{ON}$  and  $J_{OFF}$  of FE grains. They can result in an averagely reduced  $J_{ON}$  and raised  $J_{OFF}$  for the entire FE film, and a larger number of DE grains causes a smaller entire TER ratio.

### Appendix D Combined impacts of FE-DE phase fluctuation and $P_r$ variation

Figure D1 shows the combined impacts of FE-DE phase fluctuation and  $P_r$  variation (without  $\epsilon_r$  variation), in terms of  $J_{ON}$ and TER ratio at 0.2 V. Corresponding normalized variations  $\sigma/\mu$  of  $J_{ON}$  and TER ratio are evaluated, where  $\sigma$  and  $\mu$  are related standard deviation and mean value. Note that  $J_{OFF}$  variation is implicitly included in TER variation. For each DE phase percentage,  $P_r$  without variation ( $\sigma P_r/\mu P_r = 0\%$ ) and with variation ( $\sigma P_r/\mu P_r = 15\%$  and 30%) are compared respectively. The inhomogeneity of  $P_r$  distribution represented by the magnitude of  $\sigma P_r/\mu P_r$ , which is extracted from [30, 37]. From Figure D1(a),  $J_{ON}$  variation is seriously aggravated by increased inhomogeneity of  $P_r$ . In the 0% DE case,  $\sigma J_{ON}/\mu J_{ON}$  is 0.035 and 0.073 in the  $\sigma P_r/\mu P_r$  case of 15% and 30% respectively. In the 50% DE case,  $\sigma J_{ON}/\mu J_{ON}$  for solely considering the FE-DE phase fluctuations is as high as 0.117, and it reaches up to 0.159 by the combined impacts of 30%  $\sigma P_r/\mu P_r$  variation. The TER variation in Figure D1(b) shows a similar trend with  $J_{ON}$  variation, but there is a slight difference with respect to the  $\sigma/\mu$  values due to the small  $J_{OFF}$  variation. In the 50% DE case,  $\sigma TER/\mu TER$  is higher than  $\sigma J_{ON}/\mu J_{ON}$ . In particular, when  $\sigma P_r/\mu P_r$  is above 15%,  $\sigma/\mu$  that is larger than 100% in terms of TER happens. Consequently, it is of great necessity to account for the FE-DE related variations in ultrathin FE HfO<sub>2</sub> FTJ devices, due to the existence of high DE percentage in the ultrathin FE HfO<sub>2</sub> films.

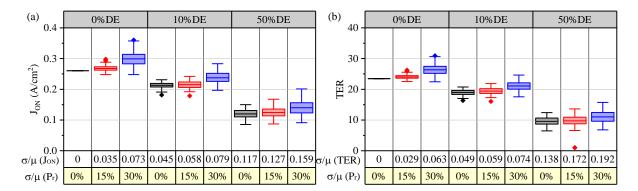
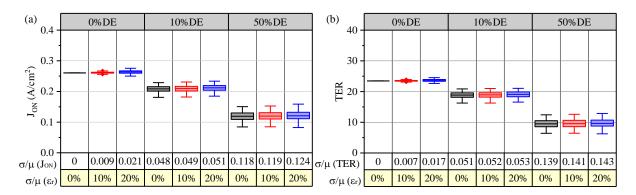


Figure D1 Combined impacts of FE-DE phase fluctuation and Pr variation. (a)  $J_{ON}$  and (b) TER ratio as a function of DE phase percentage (0%, 10% and 50%) and  $\sigma P_r/\mu P_r$  (0%, 15% and 30%) respectively.



Appendix E Combined impacts of FE-DE phase fluctuation and  $\epsilon_r$  variation

Figure E1 Combined impacts of FE-DE phase fluctuation and  $\epsilon_r$  variation. (a)  $J_{ON}$  and (b) TER ratio as a function of DE phase percentage (0%, 10% and 50%) and  $\sigma \epsilon_r/\mu \epsilon_r$  (0%, 10% and 20%) respectively.

Many previous works have assumed constant  $\epsilon_r$  for mixed phase FE HfO<sub>2</sub> when analyzing the FE-DE phase fluctuation of FeFET [18, 19]. How might the  $\epsilon_r$  variation affects the FE HfO<sub>2</sub>-based devices has rarely been explored. Figure E1 shows the combined impacts of FE-DE phase fluctuation and  $\epsilon_r$  variation (without  $P_r$  variation) in FE HfO<sub>2</sub> based FTJ. In the  $\sigma\epsilon_r/\mu\epsilon_r = 0\%$  case, FE grains with o-phase  $\epsilon_r$  and DE grains with randomly m- and t-phase  $\epsilon_r$  value are assigned in replacement of constant  $\epsilon_r$  for all phases. By taking this step, changes of both  $\sigma J_{ON}/\mu J_{ON}$  and  $\sigma TER/\mu TER$  are only around 2%. In the  $\sigma\epsilon_r/\mu\epsilon_r = 10\%$  and 20% cases,  $\epsilon_r$  variations of each phase are introduced, and their impacts on FTJ variation are still quite limited. The reasons can be explained as follows. It is difficult to determine the fraction of t-phase by experimental techniques [15], and therefore DE grains are assumed with equal probability to be t- and m-phases in the simulation. Consequently, impact of lower- $\epsilon_r$  m-phase

compensates that of higher- $\epsilon_r$  t-phase, and their combined impacts on FTJ performance are close to that of medium- $\epsilon_r$  o-phase. Based on the relative  $\epsilon_r$  value of m-, o- and t-phase HfO<sub>2</sub>, the average current across the DE grains consisting of lower- $\epsilon_r$  m-phase and the higher- $\epsilon_r$  t-phase HfO<sub>2</sub> tends to quantitatively alike the case of constant  $\epsilon_r$  for all phases where the medium- $\epsilon_r$  is used. Therefore, variations of  $J_{ON}$  and TER ratio under combined impacts of FE-DE phase fluctuation and  $\epsilon_r$  variation only show a very tiny increase compared with that of sole FE-DE phase fluctuation.

#### Appendix F Combined impacts of FE-DE phase fluctuation, $P_r$ variation, and $\epsilon_r$ variation

To explore the worst scenario, combined impacts of the FE-DE phase fluctuation,  $P_r$  variation and  $\epsilon_r$  variation are studied by assigning DE phase percentage of 50%,  $\sigma P_r/\mu P_r$  of 30%, and  $\sigma \epsilon_r/\mu \epsilon_r$  of 20%. Figure F1(a) shows the corresponding I-V dispersions compared with solely FE-DE phase fluctuation. Variation of read current is seriously degraded as expected. Figure F1(b) and (c) gives an instance of spatial distributions of  $J_{OFF}$  and  $J_{ON}$  at 0.2 V within a certain FTJ. To control the FE-DE phase fluctuation induced various variations, grain engineering including grain number and grain size will be investigated in the following, accounting for the abovementioned worst scenario.

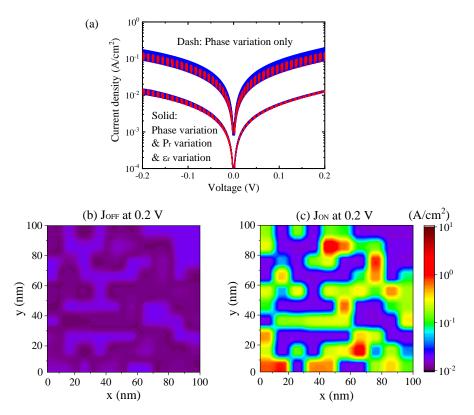


Figure F1 (a) I-V dispersions for  $J_{ON}$  and  $J_{OFF}$  during read operation of 100 FTJ devices with DE phase percentage of 50%,  $\sigma P_r/\mu P_r$  of 30%, and  $\sigma \epsilon_r/\mu \epsilon_r$  of 20%, considering combined impacts of FE-DE phase fluctuation,  $P_r$  variation and  $\epsilon_r$  variation. Spatial distributions of (b)  $J_{OFF}$  and (c)  $J_{ON}$  of a certain FTJ at 0.2 V.

## Appendix G Dependence on grain size and device size

The grain size of FE HfO<sub>2</sub> films has been experimentally identified to range from a few nanometers to tens of nanometers [15,34]. Considering the combined impacts of FE-DE phase fluctuation,  $P_r$  variation and  $\epsilon_r$  variation, the FTJ variations are studied by varying the relative size between the FTJ area and grain size.

First, the device size is fixed but the grain size is varied, as shown in Figure G1(a) and (b). For fixed device size of  $W \times L = 100 \times 100nm$ , various grain sizes of  $W_G \times L_G = 20 \times 20$ ,  $10 \times 10$  and  $5 \times 5nm$  are studied in terms of  $J_{ON}$  and TER respectively. As grain size decreases, device variation is significantly reduced. To be specific,  $\sigma J_{ON}/\mu J_{ON}$  is reduced from 0.274, 0.166, to 0.071, and  $\sigma TER/\mu TER$  is from 0.302, 0.188 to 0.079. Figure G2(a) and (b) shows the profiles of the electrostatic potential and electron density of a certain FTJ at the ON-state. Due to increased grain number, scaling of grain size reduces the randomness of number fluctuations of FE and DE grain on device level. Second, the grain size is fixed but the device size is varied as shown in Figure G1(c) and (d), where the device area scales with fixed grain size of  $W_G \times L_G = 10 \times 10nm$ . As lateral dimension including W and L increases from  $50 \times 50$ ,  $100 \times 100$  to  $200 \times 200$  nm, device-to-device variation decreases.

Particularly, grain number of  $N_G$  are designed to be same between grain size and device size study in Figure G1, with  $N_G$  varying from 25, 100, to 400. Figure G3 shows the corresponding normalized variation  $\sigma/\mu$  of  $J_{ON}$  and TER ratio as a function of grain number. It is found that at fixed grain number, the impact of increasing device size is analogous to that of reducing grain size, which can be verified by comparison of the  $\sigma J_{ON}/\mu J_{ON}$  and  $\sigma TER/\mu TER$  values. Therefore, the overall variation is directly controlled by the grain number in the FE films. For the worst scenario (namely, DE phase percentage of 50%,  $\sigma P_r/\mu P_r$  of 30%, and  $\sigma \epsilon_r/\mu \epsilon_r$  of 20%), grain number of 400 is required to control the FTJ variations of read current and TER ratio below 0.1.

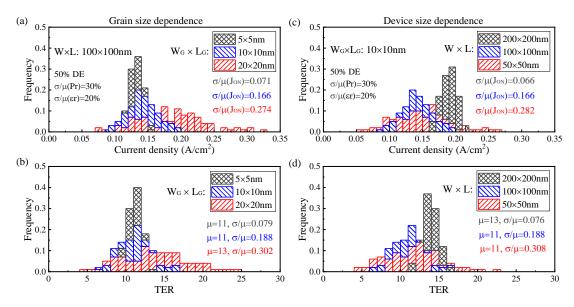


Figure G1 (a)  $J_{ON}$  and (b) TER ratio as a function grain size with fixed device size of  $W \times L = 100 \times 100 nm$ . (c)  $J_{ON}$  and (d) TER ratio as a function device size with fixed grain size of  $W_G \times L_G = 10 \times 10 nm$ . DE phase percentage of 50%,  $\sigma P_r / \mu P_r$  of 30%, and  $\sigma \epsilon_r / \mu \epsilon_r$  of 20% are considered.

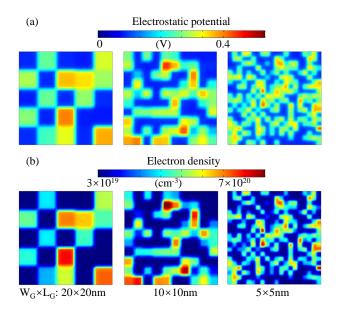


Figure G2 (a) Electrostatic potential and (b) electron density of a certain FTJ corresponding to Figure G1(a) with various  $W_G \times L_G$  at the ON-state.

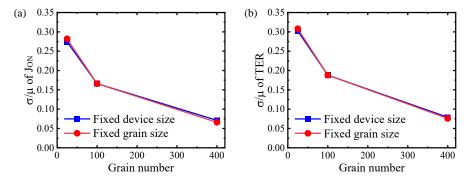


Figure G3 Normalized variation  $\sigma/\mu$  of (a)  $J_{ON}$  and (b) TER as a function of grain number, where the values of  $\sigma/\mu$  are extracted from Figure G1.

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