# **Energy-efficient Longitudinal Driving Strategy** for Intelligent Vehicles on Urban Roads

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#### **Outline**

- 1 Introduction
- **Control system**
- **Controller design**
- 4 Implementation issues
- Simulation and experimental results
- 6 Conclusion

#### Introduction

- Energy and environmental problems brought by automobiles are becoming more and more prominent
  - ➤ The number of vehicles registered in China reached an all-time high of over 300 million, according to the traffic bureau of the Ministry of Public Security.
  - ➤ In 2017, transport sector of China consumed 380 million tons of standard coal, accounting for 8.64% of the country's total energy consumption.
- Combining longitudinal driving with intelligent transportation information can significantly improve energy efficiency.

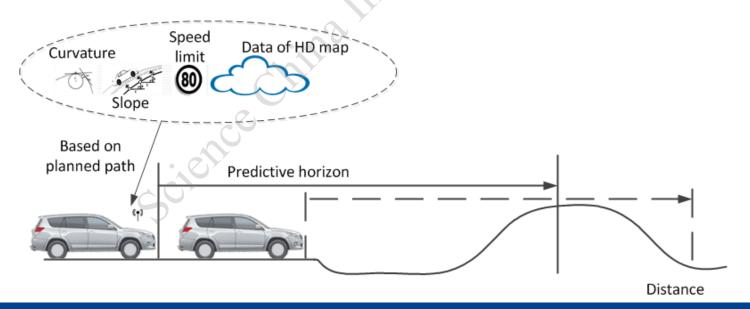


#### **Control system**

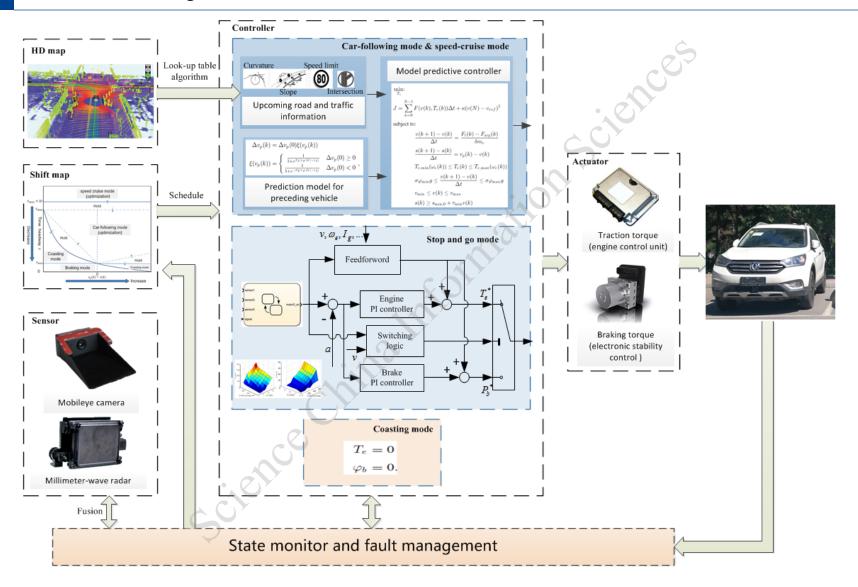
**Goal:** by making full use of upcoming road/traffic information, develop an energy-efficient longitudinal driving strategy with the stop-and-go function to achieve full-speed range driving

#### **Method:**

- □ under the framework of model predictive control (MPC), design a predictive cruise controller for car-following/speed-cruise scenarios
- by using a feedforward-feedback approach, design a hierarchical controller for stop-and-go scenarios



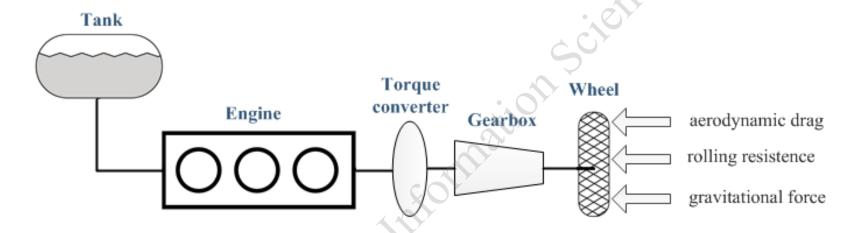
## **Control system**



Control architecture of the proposed longitudinal driving strategy

## Controller design --- system model

Simplified schematic representation of the driveline



System model

longitudinal dynamics for host vehicle

$$\frac{v(k+1)-v(k)}{\Delta t} = \frac{F_t(k)-F_{arg}(k)}{\delta m_v}, \quad F_{arg}(k) = \frac{1}{2}C_DA\rho v^2(k) + m_v g(f\cos(\alpha(k)) + \sin(\alpha(k))),$$

$$\frac{s(k+1)-s(k)}{\Delta t} = v_p(k)-v(k) \quad \Delta v_p(k) = \Delta v_p(0)\xi(v_p(k)),$$

inter-vehicle distance

prediction model of upcoming speed for the preceding vehicle

#### Controller design --- predictive cruise controller

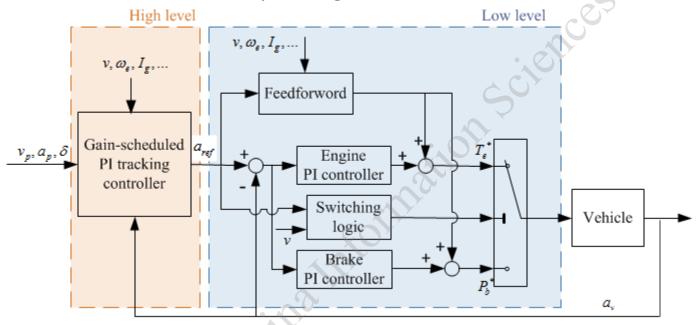
Optimization problem formulation for the predictive cruise controller

$$\begin{array}{c} \text{fuel consumption} \\ \text{rate} & \text{speed tracking} \\ \text{function} \end{array} \begin{array}{c} \text{ride comfort} & \text{terminal constraint} \\ \text{terminal constraint} \\$$

Require knowledge of preceding road-slope and traffic information

## **Controller design --- stop-and-go controller**

Hierarchical controller for stop-and-go scenarios



Acceleration-tracking control

traction control 
$$T_e^* = F_{req} \frac{r_w}{\eta_t I_0 I_g} + k_{p0}(e)e + k_{i0}(e) \int e dt$$
 brake control 
$$P_b^* = 0, \qquad \text{scheduled gains}$$
 
$$T_e^* = 0$$
 brake 
$$Control P_b^* = -F_{req} \frac{r_w}{K_b} + k_{p1}(e)e + k_{i1}(e) \int e dt,$$

$$T_e^* = 0$$

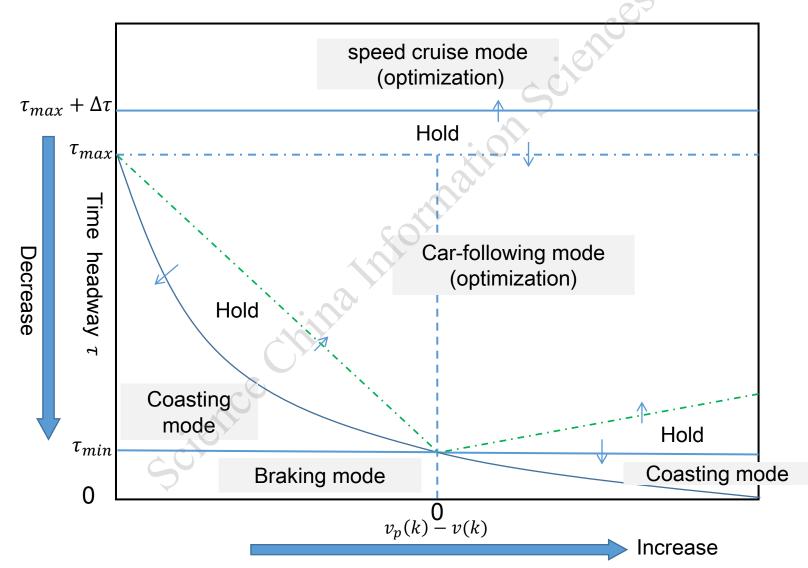
$$P_b^* = -F_{re}$$

$$P_{b}^{*} = -F_{req} \frac{r_{w}}{K_{b}} + k_{p1}(e)e + k_{i1}(e)\int edt$$

scheduled gains

where 
$$F_{req} = \delta m_v a_{ref} + \frac{1}{2} C_D A \rho v^2 + m_v g (f \cos(\alpha) + \sin(\alpha)), e = a_{ref} - a_v$$

Shift map for different operating modes



fast solver

$$H(v(k),\lambda(k+1),T_e(k)) = F(v(k),T_e(k)) \\ + \lambda(k+1)(\frac{F_t(k)-F_{arg}(k)}{\delta m_v})\Delta t, \Longrightarrow \text{ establish the Hamiltonian}$$

$$H(v^*(k), \lambda^*(k+1), T_e^*(k)) \leq H(v^*(k), \lambda^*(k+1), T_e(k)),$$
 
$$k \in [0, 1, \cdots, N-1]$$
 
$$\lambda(k+1) = -\frac{\partial H(v(k), \lambda(k+1), T_e(k))}{\partial v(k)} + \lambda(k)$$
 necessary conditions optimal control law

$$\lambda(N) = 2\kappa(v(N) - v_{ref})$$
  $\longrightarrow$  terminal necessary condition

give a initial value of a costate  $\lambda(0)$ , along the necessary conditions and optimal control law, the corresponding terminal value of a costate  $\lambda(N)$  can be obtained, transfer the optimal problem into solving equation problem by finding the optimal initial costate  $\lambda(0)$  that satisfying the terminal necessary condition.

#### mapping from the initial costates $\lambda(1)$ to the terminal necessary condition

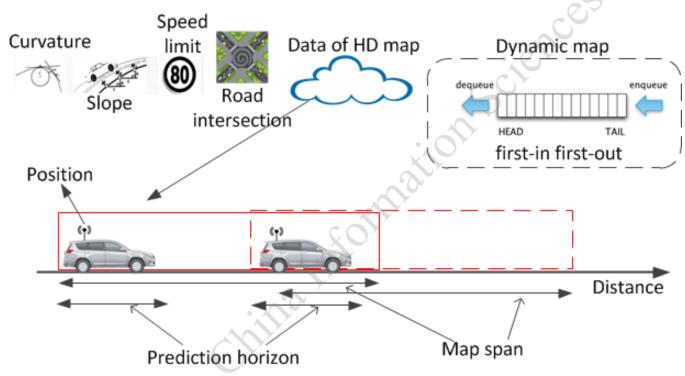
$$\{\lambda(0), x(0)\} \Rightarrow u(0) \Rightarrow \{\lambda(1), x(1)\} \Rightarrow u(1) \Rightarrow \cdots \Rightarrow \{\lambda(k), x(k)\} \Rightarrow u(k) \Rightarrow \cdots \Rightarrow \{\lambda(N), x(N)\}$$

at time step k, reformulate the Hamiltonian to find //the analytical solution during iteration



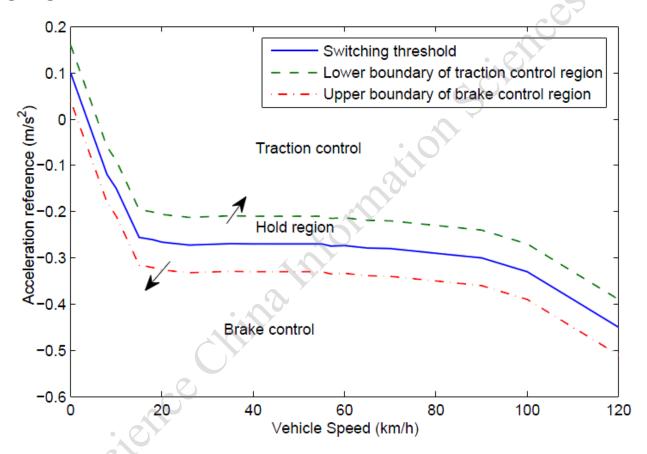
solve the equation to find the optimal  $\lambda(0)$  by using bisection method

Use of the high-definition (HD) map



- ☐ The data of HD map is location depended and stored in the incar user interface media system
- ☐ Hardware system only stores a piece of map data by using the dynamic map
- As the vehicle moves forward, the old data of the dynamic map are replaced by the new data
- ☐ Communication between hardware systems is via controller area network

Switching logic between traction control and brake control



- By performing coasting experiments under different speeds, the mapping from the vehicle speed to the drag acceleration is obtained as a shifting line
- A hold region is introduced to avoid frequent mode switching

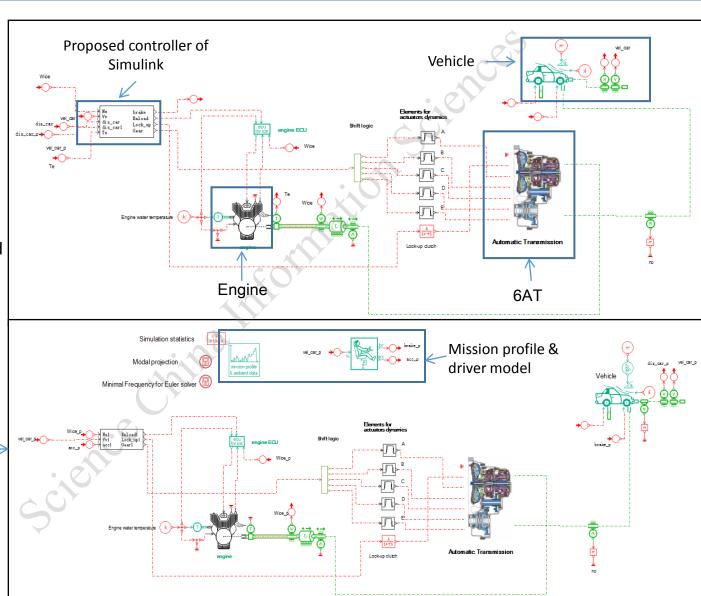
#### **Simulation results**

#### AMESim&Simulink

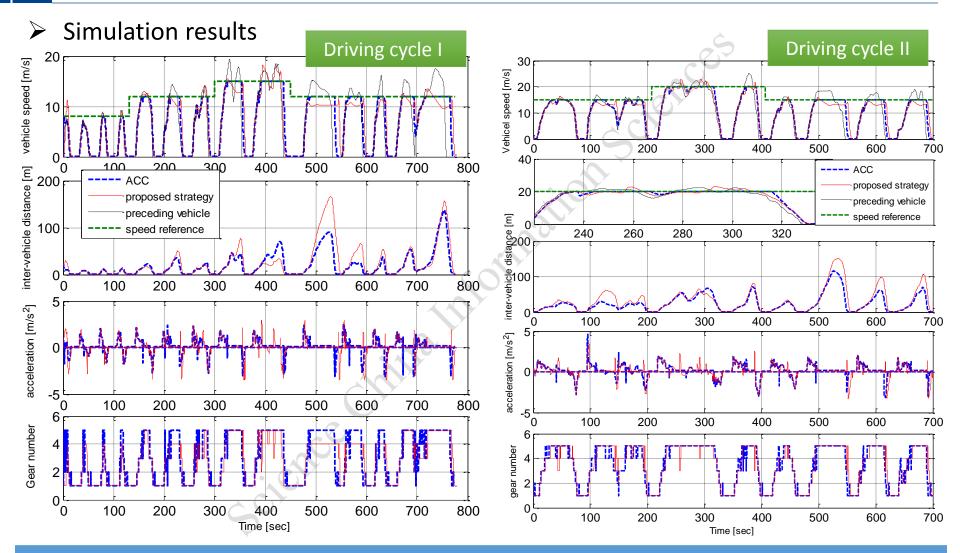


Host vehicle (controlled by the proposed driving strategy)

Preceding
vehicle
(controlled by a driver model)



#### **Simulation results**

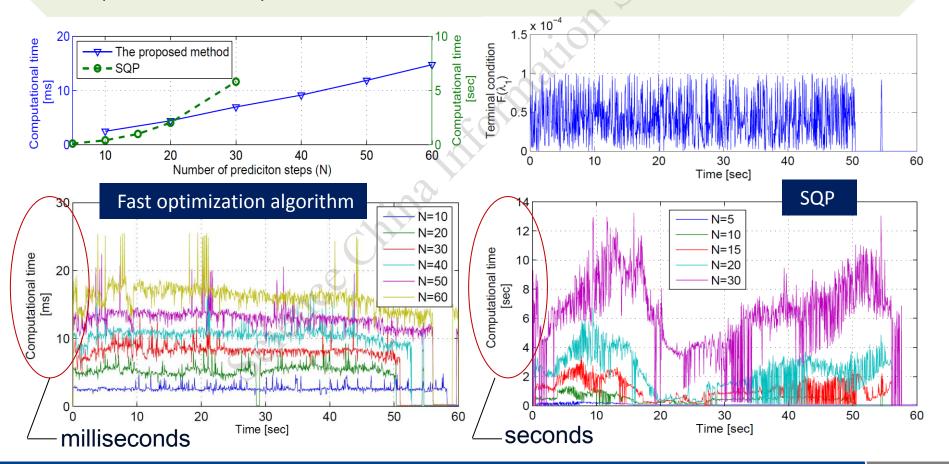


Compared with that of the traditional ACC, the fuel economy of the vehicle with the proposed strategy has increased by more than 8%

#### Simulation results

#### Evaluation of the fast solver.

- computational time increases linearly with the prediction horizon while in traditional numerical iteration algorithm SQP (sequential quadratic programming), computational time increases exponentially;
- computational efficiency is much better than SQP



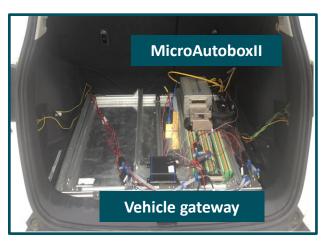








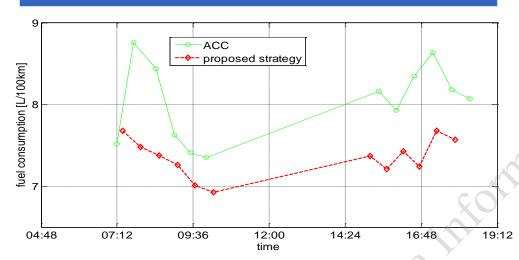




**Experimental platform** 

Test results in Wuhan

#### Comparison of fuel consumption in different time periods of weekday



- The system sampling interval is 0.01s
- The prediction horizon is 7s
- The benchmark controller is a factory-installed ACC system

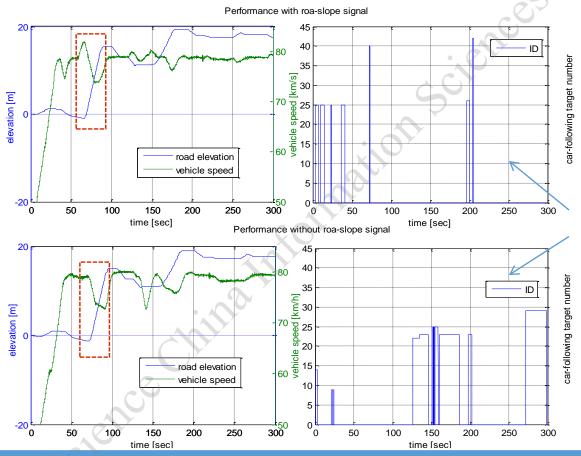
#### Comparison of fuel consumption in different time periods of weekend



Compared with a factory-installed ACC, road tests show

- the average fuel economy is9.28% in weekday
- the average fuel economy is 13.38% in weekend

Evaluation of the influence from road-slope signal



When no preceding vehicle is ahead (no car-following target), ID equals 0

- Red boxes indicate that the vehicle using the proposed strategy will accelerate before the hill is reached
- ☐ On the selected road section of Wuhan, the contribution of slope to fuel economy is 2.69%

System	Distance	Fuel saving
Proposed strategy	805km	0.10/
ACC	766km	9.1%

□ compared with a factory-installed ACC: road test over 1500km shows 8~9% fuel saving

Human drivers	Fuel consumption in their daily driving style	Fuel consumption in their eco-driving style
Professional driver 1	10.08L/100km	7.81L/100km
Professional driver 2	9.27L/100km	7.72L/100km

compared with human divers:

their daily driving style: proposed strategy can reduce fuel by 15% their eco-driving style: proposed strategy can reduce fuel by 2%





Acceleration and braking of the proposed driving strategy are more smoothly than that of a factory-installed ACC



Compared with the factory-installed ACC, road tests over 1500km show that the average fuel economy of the proposed strategy is 8-9%



On the selected road section of Wuhan, the contribution of slope to fuel economy is 2.69%

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